## Exercise 21 15min

$\mathrm{I}, \mathrm{J}$ and K are the respective midpoints of segments $[\mathrm{AB}],[\mathrm{BC}]$ and $[\mathrm{CA}]$ of triangle ABC .

1. Prove the parallelisms $(U J) / /(A C),(J K) / /(B A)$ and $(K T) / /(C B)$. Justify the figure contains three parallelograms.
2. Justify that, under the translation that brings A onto I, the image of triangle AIK is triangle IBJ.

3 What is the image of triangle IBJ under the translation that brings $B$ onto $J$ ?
4 Which translation brings triangle KJC onto triangle AIK?

## Exercise 22 10min

Point O is the center of concentric circles ( C ) and ( $\mathrm{C}^{\prime}$ ). [IJ] is a diameter of circle (C).
K is a point on circle $\left(\mathrm{C}^{\prime}\right)$.

1. Write a construction program for point $L$, the image of point $J$ by the translation that brings K onto I. Complete the figure. What can be conjectured for point $L$ ?
2. Show that $L$ belongs to circle $\left(C^{\prime}\right)$.
